

Arithmetic

$$a_n = a_1 + d(n - 1)$$

$$s_n = \frac{n(a_1 + a_n)}{2}$$

Geometric

$$a_n = a_1(r)^{n-1}$$

$$s_n = \frac{a_1(1-r^n)}{(1-r)}$$

$$S = \frac{a_1}{(1-r)} \text{ if } |r| < 1$$

Ellipse $(h, k) = \text{center}$

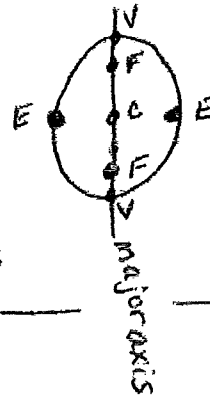
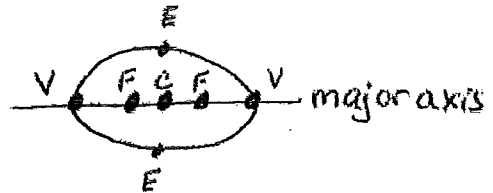
$$\frac{(x-h)^2}{a^2} + \frac{(y-k)^2}{b^2} = 1 \quad a > b$$

$$\frac{(x-h)^2}{a^2} + \frac{(y-k)^2}{b^2} = 1 \quad b > a$$

$a =$ Left/Right from center

$b =$ Up/Down from center

$c = \sqrt{|a^2 - b^2|}$ from center on major axis



E = end point

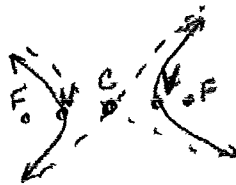
V = vertex

C = center

F = focus

Hyperbola $(h, k) = \text{center}$

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$



$$\frac{(y-k)^2}{b^2} - \frac{(x-h)^2}{a^2} = 1$$



V = vertex

C = center

F = focus

$a =$ Left/Right from center

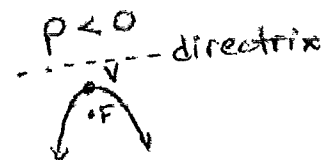
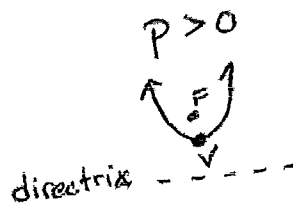
$b =$ Up/Down from center

$c = \sqrt{a^2 + b^2}$ from center to focus

$y - k = \pm \frac{b}{a}(x - h)$ asymptotes

Parabola $(h, k) = \text{vertex}$

$$(x-h)^2 = 4p(y-k)$$



$$(y-k)^2 = 4p(x-h)$$

$p =$ from vertex to focus/directrix

